

## Test 3 (testing of hypotheses)

### 1 Example

At the motorway with recommended speed 80 km/h we monitored the speeds of passing cars and obtained data (in km/h)

{89 93 78 82 76 95 83 89 94 72 89 87 81 85 76}

Test the hypothesis  $H_0$  that the average speed is 80 km/h. Test on the level 0.05.

*Results*

*TH for expectation, both-sided,  $pv=0.025$*

### 2 Example

At the motorway with recommended speed 80 km/h we monitored the speeds of passing cars and obtained data (in km/h)

{89 93 78 82 76 95 83 89 94 72 89 87 81 85 76}

Test the hypothesis  $H_0$  that the average speed less than 80 km/h. Test on the level 0.05.

*Results*

*TH for expectation, right-sided,  $pv=0.012$*

### 3 Example

At the motorway with recommended speed 80 km/h we monitored the speeds of passing cars and obtained data (in km/h)

{89 93 78 82 76 95 83 89 94 72 89 87 81 85 76}

Test the hypothesis  $H_0$  that the average speed greater than 80 km/h. Test on the level 0.05.

*Results*

*TH for expectation, left-sided,  $pv=0.988$*

## 4 Example

The accuracy of setting of certain machine can be verified according to the variance of its products. If the variance is greater than the level 80, it is necessary to perform new setting. The following data sample has been measured

$$x = \{258 \ 215 \ 225 \ 229 \ 235 \ 228 \ 231 \ 225 \ 242 \ 222\}$$

On the level 0.05 test if it is necessary to set the machine.

*Results*

*TH for variance, right-sided,  $pv=0.065$*

## 5 Example

Consumption of cars is measured by two methods A and B. The same car has been subduced to measuring by both methods. The results are

$$A = \{4.3 \ 6.2 \ 6.8 \ 6.7 \ 5.1 \ 5.0\}$$

$$B = \{4.8 \ 5.3 \ 5.2 \ 5.8 \ 5.3 \ 5.9\}$$

On the level 0.05 test equality of both methods if the variability of methods is assumed to be equal, if the consumption is assumed to be normally distributed.

*Results*

*TH for 2 expectations, equal variances, both-sided,  $pv=0.53$*

## 6 Example

We are going to test if the lights on left and right spotlights of cars have equal settings. The measured values (above the correct angle) are

$$xL = \{4.6 \ 2.2 \ 2.5 \ -4.6 \ 2.8 \ 0.1\}$$

$$xP = \{3.2 \ -1.5 \ 1.1 \ -4.8 \ 3.5 \ -0.2\}$$

Test at the level 0.05 on normality assumption.

*Results*

*TH for 2 expectations, paired, both-sided,  $pv=0.152$*

## 7 Example

We are going to test if the right spotlights are higher than left ones. The measured values (above the correct angle) are

$$xL = \{4.6 \ 2.2 \ 2.5 \ -4.6 \ 2.8 \ 0.1\}$$

$$xR = \{3.2 \ -1.5 \ 1.1 \ -4.8 \ 3.5 \ -0.2\}$$

Test at the level 0.05 on normality assumption.

*Results*

*TH for 2 expectations, paired, right-sided,  $pv=0.076$*

## 8 Example

At the motorway with recommended speed 80 km/h speeds of passing cars have been monitored in the direction to the town (xT) and from the town (xF). The data measured are

$$xT = \{86 \ 86 \ 78 \ 77 \ 82 \ 75 \ 79 \ 82 \ 97 \ 88\}$$

$$xF = \{79 \ 76 \ 80 \ 82 \ 84 \ 78 \ 75 \ 81 \ 75 \ 77\}$$

At the level 0.05 test the hypothesis  $H_0$ : From the town the cars go faster. The variances are supposed to be different.

*Results*

*TH 2 expectations, independent, right-sided,  $pv=0.042$*