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// T25preReg3.sce
// np-STEP PREDICTION WITH CONTINUOUS MODEL
// REAL DATA (intensity) from Strahov tunnel are used
// Experiments
// Change: - np = number of steps of prediction
//          - ord = order of the model for estimation
// Result: - visual comparison of yt and yp
//          - RPE = relative prediction error
// -----
exec("ScIntro.sce",-1), mode(0)

// PARAMETERS // 1
np=5; // length of prediction (np>=1) // 2
ord=5; // order of the estimated model // 3
// data selection // 4
k=3; // which day is selected // 5
nz=50; // beginning of the day // 6
nd=288*k; // length of the whole one day data // 7
// 8
// DATA // 9
dtAll=csvRead('STRAHOV.csv',';'); // load data // 10
dt=dtAll((k-1)*288+(nz+1:nd),1); // 11
nth=ord+2; // size of V // 12

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V=1e-8*eye(nth,nth);           // initial information matrix           // 13
thE=rand(nth-1,1,'n');         // prior parametr           // 14
yt=dt(1:ord);                  // prior data           // 15
                                // 16
// TIME LOOP           // 17
for t=ord+1:(nd-np-nz)         // time loop (on-line tasks) // 18
// prediction           // 19
    ps=[yt(t-1:-1:t-ord); 1]; // regression vector           // 20
    yy=ps'*thE;               // first prediction at t+1     // 21
    for j=1:np                 // predictions for t+2,...,t+np // 22
        ps=[yy; ps(1:(ord-1)); 1]; // reg. vector (no control) // 23
        yy=ps'*thE;           // new prediction (partial) // 24
    end                         // 25
    yp(t+np,1)=yy;            // final prediction for time t+np // 26
                                // 27
// data measurement (as if) // 28
yt(t)=dt(t);                  // measuring of output           // 29
                                // 30
// estimation           // 31
psi=[yt(t:-1:t-ord); 1];     // reg. vector           // 32
V=V+psi*psi';                // updt of inf. matrix // 33
Vy=V(1,1); Vyp=V(2:$,1); Vp=V(2:$,2:$); // division of inf. matrix // 34
thE(:,1)=inv(Vp+1e-8*eye(Vp))*Vyp; // est. of reg. coeff // 35

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    r(t)=(Vy-Vyp'*inv(Vp+1e-8*eye(Vp))*Vyp)/t; // est. of noise variance // 36
    Et(:,t)=thE; // stor est. parameters // 37
end // 38
// 39
// Results // 40
// evolution of parametrs // 41
set(scf(1),'position',[100 100 1200 400]); // 42
subplot(121),plot(Et') // 43
set(gca(),"data_bounds",[0 nd+1 -1 5]) // 44
title('Evolution of estimated parameters') // 45
legend('b0E','a1E','b1E','a2E','b2E','kE'); // 46
// comparison of yt and yp // 47
subplot(122) // 48
s=1:length(yt); // 49
plot(s,yt(s),'.:',s,yp(s),'rx') // 50
set(gca(),"data_bounds",[1 nd -4 max(yt)+5]) // 51
legend('output','prediction'); // 52
title([string(np),'- step ahead prediction']) // 53
// Relative Prediction Error // 54
RPE=variance(yt(s)-yp(s))/variance(yt(s)) // 55

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## Description of the program

- Row 2 defines number of steps of the prediction
- Row 3 sets the order of the regression model used
- Rows 5–7 define the interval of data used
- Row 10 loads the data from disk
- Rows 13–15 specify the prior information and initial data for the model
- Rows 18–39 perform the time loop.

As we predict when  $y(t)$  is not measured, yet, the sequence of the tasks is: prediction (estimate of  $y(t)$ ), simulation (measuring of  $y(t)$ , estimation (with newly measured data)).

- 20: construction of regression vector
- 21: first step of prediction (based on measured data)
- 22–26: loop for internal predictions (all unknown values of  $y$  are substituted by their estimates from the previous steps)
  - \* 23: construction of regression vector (predictions of  $y$  from previous steps are included).
  - \* Note: For the shift of the regression vector see the head of the program.
  - \* 24: generation of the new prediction
- 26: the final prediction at the time  $t+np$
- 29: data measurement (from the loaded dataset)

- Row 32 extended regression vector for estimation
- Row 31 update of information matrix (if we do not estimate the noise covariance, the counter is not need)
- Rows 33–34 division of information matrix
- Row 35 point estimate of regression coefficients